The *TESS* light curve of the eccentric eclipsing binary 1SWASP J011351.29+314909.7 – no evidence for a very hot M-dwarf companion

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ABSTRACT

A 2014 study of the eclipsing binary star 1SWASPJ011351.29+314909.7 (J0113+31) reported an unexpectedly high effective temperature for the M-dwarf companion to the 0.95-M_{\odot} primary star. The effective temperature inferred from the secondary eclipse depth was ~600 K higher than the value predicted from stellar models. Such an anomalous result questions our understanding of low-mass stars and might indicate a significant uncertainty when inferring properties of exoplanets orbiting them. We seek to measure the effective temperature of the M-dwarf companion using the light curve of J0113+31 recently observed by the *Transiting Exoplanet Survey Satellite (TESS)*. We use the pycheops modelling software to fit a combined transit and eclipse model to the *TESS* light curve. To calculate the secondary effective temperature, we compare the best-fitting eclipse depth to the predicted eclipse depths from theoretical stellar models. We determined the effective temperature of the M dwarf to be $T_{eff,2} = 3208 \pm 43$ K, assuming log $g_2 = 5$, [Fe/H] = -0.4, and no alpha-element enhancement. Varying these assumptions changes $T_{eff,2}$ by less than 100 K. These results do not support a large anomaly between observed and theoretical low-mass star temperatures.

Key words: techniques: photometric – binaries: eclipsing – stars: fundamental parameters – stars: low-mass – stars: individual: 2MASS J01135129+3149097.

1 INTRODUCTION

One of the most important factors in correctly characterizing an exoplanet is to understand its host star. The parameters of an orbiting exoplanet are, in most cases, inferred from its effect upon the signal of its stellar host, most commonly through the transit or radial velocity methods. The host star properties are most often obtained by matching observable star properties to stellar evolution models (e.g. Baraffe et al. 1998; Dotter et al. 2008). Thus, if these models are erroneous, and with them our understanding of the primary star, so too will any exoplanet observations that are inferred from them. This raises a possible issue regarding low-mass stars. Low-mass stars suffer from a lack of data compared to other brighter sources. Direct measurements of stellar mass and radius are uncommon and of temperature rarer still. As low-mass stars are being looked upon more and more as favourable targets for exoplanet detection and characterization (Charbonneau & Deming 2007; Quirrenbach et al. 2014; Delrez et al. 2018), this could be a great problem for both current and future observations. Recently, the EBLM Project (Triaud et al. 2013) has been launched to start to address this problem. Its aim is to characterize around 200 low-mass eclipsing binary (EBLM) systems discovered in the SuperWASP survey to better understand M-dwarf stars.

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One study in the EBLM project (Gómez Maqueo Chew et al. 2014, GMC+2014 hereafter) has reported derivations of the mass, radius, and temperature of the eclipsing M-dwarf system 1SWASPJ011351.29+314909.7 (J0113+31 hereafter). They inferred a much higher M-dwarf temperature than predicted by theoretical models. A similar issue was noted by Ofir et al. (2012) in their analysis of KIC 1571511B. If this inconsistency is a wider trend, it could result in the incorrect characterization of exoplanets in low-mass star systems. J0113+31 was recently observed by the TESS mission (Ricker et al. 2014). This allows us to see if we can reproduce this anomalous secondary temperature measurement. In this Letter, we present the analysis of the TESS light curve of J0113+31. After fitting the observed light curve using Monte Carlo Markov Chain (MCMC) techniques, we then compared the observed secondary eclipse depth to those predicted by theoretical stellar spectra. We find that our observed secondary effective temperature does not agree with the unexpectedly high temperatures seen in GMC+2014, implying a value expected for a low-mass M dwarf.

2 OBSERVATION

The *TESS* survey is split into 26 overlapping $90^{\circ} \times 24^{\circ}$ sky sectors over both Northern and Southern hemispheres, with each observed for approximately 1 month. The eclipsing binary J0113+31 (TIC 400048097) was observed in Sector 17 of the survey as part of the Guest Investigator programs G022039 and G022062, with 2-

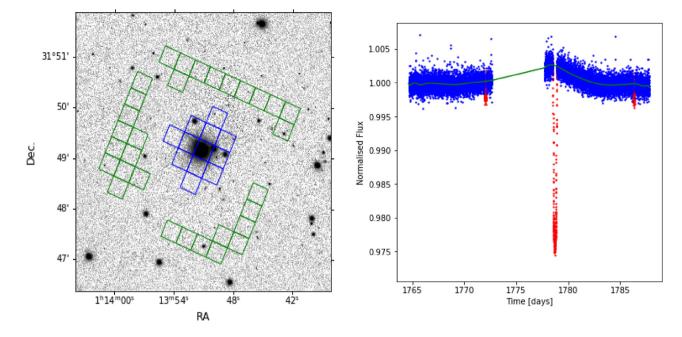


Figure 1. Left: *TESS* pixels for its observation of J0113+31 overlaid on to an image of the area around the object from the PanSTARSS image server (Flewelling et al. 2016). J0113+31 is the bright, central star, the *TESS* photometric aperture is in blue, and the pixels used to calculate the background flux are in green. Right: The *TESS* light curve of J0113+31. The light curve is shown in blue with the eclipse and transit events masked in detrending shown in red. The polynomial used to detrend the light curve is overlaid in green.

min cadence data made available. J0113+31 is a bright (V = 10.1) eclipsing binary star composed of a G0-2 V, metal-poor ([Fe/H] = -0.4) primary star and a much fainter M-dwarf companion with a mass of about $0.2 \,\mathrm{M}_{\odot}$. The orbital period is approximately 14.3 d and the orbit is eccentric ($e \approx 0.3$). We downloaded the light curve from the Mikulski Archive for Space Telescopes (MAST)¹ web service. We used the PDCSAP flux data for our analysis. Any cadences in the light curve with severe quality issues were ignored using the "default" bitmask 175 (Tenenbaum & Jenkins 2018). We downloaded the target pixel file for the target and overlaid the TESS aperture used on to a map of the local sky area in order to confirm that the Science Processing Operations Center (SPOC) pipeline accounted for the presence of any contaminating stars. From Fig. 1, it can be seen that there are three faint stars within the photometric aperture. The flux from J0113+31 relative to the total flux of all stars in the photometric calculated from the TESS magnitudes from the TESS input catalogue (Stassun et al. 2019) is 0.9722. This is similar to the reported crowding metric used for J0113+31 of 0.9695, so we are satisfied that the PDCSAP flux had been corrected for this contaminating flux. In addition, we observed a slight stellar variation in the light curve. We removed the resultant low-frequency noise by masking the transits events, fitting a polynomial of order 25, and dividing the unmasked light curve by the resulting function, shown in Fig. 1.

3 ANALYSIS/RESULTS

To create the models needed for light-curve fitting, we used pycheops,² a PYTHON module developed for analysis of data from the *CHEOPS* mission (Cessa et al. 2017). The transit model uses

¹https://mast.stsci.edu ²https://pypi.org/project/pycheops/

the qpower2 algorithm (Maxted & Gill 2019) to calculate the transit light curve assuming a power-2 limb-darkening law. The parameters used in the model are: the time of mid-primary eclipse T_0 , the transit depth $D = k^2 = R_2^2/R_1^2$ where R_2 and R_1 are the radii of the secondary and primary stars, the impact parameter $b = a\cos i/R_1$ where i is the orbital inclination and a is the semimajor axis, the transit width $W = \sqrt{(1+k)^2 - b^2} R_1/(\pi a)$, the eccentricity and argument of periastron-dependent parameters $f_s = \sqrt{e} \sin(\omega)$ and $f_c = \sqrt{e} \cos(\omega)$, the eclipse depth L, and the limb-darkening parameters h_1 and h_2 as defined by Maxted (2018). The light curve includes only one primary and two secondary eclipses, so we fixed the orbital period at the value P = 14.2769001 d from GMC+2014. As h_2 did not converge to a value during the MCMC fit, we fixed it at a value obtained by an interpolator inbuilt in pycheops. This interpolates a value of h_2 from a data table presented in Maxted (2018) based on the limb-darkening profiles from the STAGGER-grid (Magic et al. 2015). We used the PYTHON module EMCEE (Foreman-Mackey et al. 2013) to sample the posterior probability distribution of our model parameters. We sampled a chain of 480 walkers each going through 6000 steps, starting at values determined by a least-squares fit and with step sizes set to suitable values for each parameter. To allow the walkers to settle into the probability distributions, we performed a burn-in of 500 steps before the sampling. To ensure that adequate sampling was performed, the number of steps chosen was \sim 65–75 times longer than the autocorrelation length of each fitted parameter chain. To ensure independent random samples from their posterior probability distributions, each parameter chain was thinned by half the minimum parameter autocorrelation length. The parameter values given in Table 1 are the mean and standard deviation of each of the thinned model parameter chains. The light-curve fit and residuals for these parameter values are shown in Fig. 2. We verified our analysis by performing an independent fit using the eclipsing binary light-curve model, ellc (Maxted 2016), as implemented in a package called AMELIE (e.g. Hodžić et al. 2018; Triaud et al. 2020).

 Table 1. The reported orbital parameters from Maxted (2016), GMC+2014 and the parameters calculated by our pycheops and ellc fits.

	GMC+2014	Maxted (2016)	pycheops fit	ellc fit
R_1/a	0.0534 ± 0.0021	0.0533 ± 0.0004	0.0540 ± 0.0010	0.0536 ± 0.0006
R_2/a	0.0081 ± 0.0004	0.00783 ± 0.00008	0.0083 ± 0.0002	0.0082 ± 0.0001
i (°)	89.084 ± 0.037	89.09 ± 0.05	88.980 ± 0.103	89.062 ± 0.064
LJ	$0.00737\ \pm\ 0.00024$	0.00749 ± 0.00018	-	-
L_TESS	-	-	0.00160 ± 0.00009	0.00164 ± 0.00006
e	0.3098 ± 0.0005	0.3096 ± 0.0007	0.3138 ± 0.0151	0.3090 ± 0.0090
$\omega(^{\circ})$	278.85 ± 1.29	278.9 ± 0.03	278.88 ± 0.47	279.01 ± 0.30

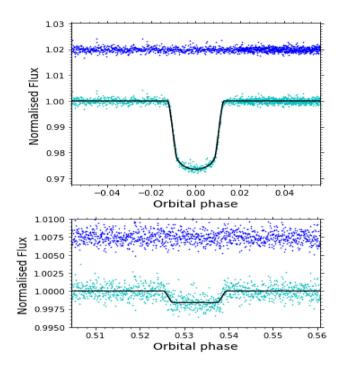


Figure 2. Fitted normalized light curve of J0113+31 in phase intervals around the transit and eclipse events. In both plots, the observed light curve is displayed in cyan, the best-fitting model is shown in black, and the residual of the fit is presented in blue.

We find fully consistent results between using the two light-curve models as shown in Table 1.

4 DISCUSSION

To convert the parameters from our light-curve model to an estimate of $T_{\rm eff}$ for the M-dwarf star, we used a similar method to GMC+2014. This involved comparing the observed secondary eclipse depth with the expected depth determined using PHOENIX model atmospheres (Husser et al. 2013). In brief, we integrate the flux of the primary star over the *TESS* bandpass and proceed to calculate fluxes for the secondary over a range of different temperatures using the same technique. We assume [Fe/H] = -0.5 dex, $T_{\rm eff,1} = 6000 \text{ K}$, $\log g_1 = 4.00 \text{ dex}$, $\log g_2 = 5.00 \text{ dex}$ (as in GMC+2014), and no alpha element enhancement. The predicted eclipse depth is then $\Delta_2 = D \frac{F_2}{F_1}$, where F_1 and F_2 are the integrated fluxes for the primary and secondary stars. Using this method, eclipse depths were determined for $T_{\rm eff,2}$ values from 2500 to 4000 K. For further comparison showing

the effect of different metallicities, predicted eclipse depths were also calculated using [Fe/H] = 0.0 dex and 0.5 dex. As shown in Fig. 3, the eclipse depth predicted by the theoretical stellar models would indicate an effective temperature far lower than that found by GMC+2014 for all three cases we calculated, with no difference in metallicity enough to reconcile our results with their derived temperature of 3922 K. To provide a further comparison, we also calculated eclipse depths using BT-Settl-CIFIST model spectra, comparing it with those obtained by PHOENIX using a consistent [Fe/H] = 0. Again, the observed difference is not enough to account for the anomalous temperatures seen in GMC+2014.

For our best estimate of the M-dwarf effective temperature, we decided to use the value of $[Fe/H] = -0.4 \pm 0.04$ provided in GMC+2014, obtaining it through linear interpolation of eclipse depths at different metallicities using the PHOENIX-derived values. Due to the uncertainty in abundances when varying stellar parameters (Jofré, Heiter & Soubiran 2019), we increased the [Fe/H] error to ± 0.1 dex. We calculated the uncertainty in $T_{\rm eff,2}$ by combining uncertainties in depth, $T_{\rm eff,1}$ and metallicity. Adding these uncertainties in quadrature, we obtained a final effective temperature, $T_{\rm eff,2} = 3208 \pm 43$ K. As shown in Fig. 3, this is the effective temperature expected for this star, given its mass.

As the result in GMC+2014 had been so unexpected, they had discussed and discounted several sources of potential theoretical error, either being not feasible or not having enough of an effect to cause a temperature ~ 600 K warmer than expected. Therefore, to examine the possible causes for this inconsistency with our results, we first verified them using an independent code (ellc). We then looked for any problems in our own integration of the theoretical models. We did this by reproducing our eclipse depth predictions but integrating in the same bandpass as that used by GMC+2014, specifically that of the FLAMINGOS instrument used to observe their secondary eclipse data. This correctly reproduces their theoretical expected depths, ruling out problems in this element of our analysis. We also tested our method for dividing out variation in the light curve by observing whether the method is sensitive to the order of the polynomial used in removing slow flux variations in the light curve. If we use a polynomial of order 10 instead of 25, we find that the value of $T_{\rm eff,2}$ changes by only 3 K, i.e. not enough to put our overall conclusion in doubt.

We then searched for inconsistencies in the observational measurements of the two studies. One contributing factor could be the issue of metallicity and how it effects observations at different wavelength regimes. At a fixed mass, a metal-rich star is predicted to see a decrease in luminosity caused by the increased opacity. However, this increase in opacity does not necessarily lead to a reduction in flux in all bands. Mann et al. (2019) find that in the *K* band, this trend could be weakened or reversed due to the increased opacities occurring in the visible rather than the near-infrared, causing a larger amount of

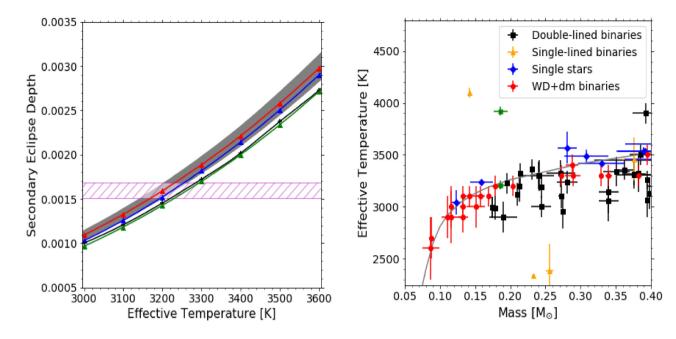


Figure 3. Left: The secondary eclipse depths predicted using the PHOENIX [Husser et al. (2013), triangles] and BT-Settl-CIFIST [Baraffe et al. (2015), crosses] theoretical stellar spectra. All models assume $T_{\text{eff},1} = 6000$ K, $\log g_1 = 4.00$ dex, $\log g_2 = 5.00$ dex, and no alpha element enhancement. We varied the metallicity between these sets with [Fe/H] = -0.5, 0.0, and 0.5 dex for red, blue, and green markers, respectively, for PHOENIX models. The grey area represents a 100-K uncertainty in $T_{\text{eff},1}$. The magenta line shows the fitted eclipse depth from the *TESS* light curve, $L = 0.00160 \pm 0.00009$. Right: A cutout of the stellar mass versus effective temperature diagram from Parsons et al. (2018), with our result and the result from GMC+2014 highlighted (green crosses). The type of system is displayed by different colours and symbols. The theoretical relation from Baraffe et al. (2015) for an age of 1 Gyr is plotted in grey.

the flux to escape. They display the flux ratio of metal-poor and metalrich stars in different wavelength regimes, finding a change from 1.2 to 1.0 between r' and K bands. As the *TESS* satellite operates from the r to z bands and the FLAMINGOS J band was used by GMC+2014 in their fit, an underestimation in opacity in optical wavelengths could result in the model-predicted eclipse depths implying a lower temperature than they should for high-metallicity objects. However, as shown in Fig. 3, the differences produced by changes in metallicity would likely not be large enough to reconcile our results. In addition, any differences in the J band are likely to be even smaller (Mann et al. 2019). No matter the changes we can make to theoretical stellar spectra, there is no single temperature that will match the reported depths in the *TESS* and J bands.

Our preferred interpretation is that the result in GMC+2014 is a result of systematic errors. Systematic errors inherent to groundbased observation have been a problem when trying to infer temperature from precise eclipse measurements, most noticeably with hot Jupiters (De Mooij et al. 2011; Croll et al. 2015). In Hooton et al. (2019), the eclipse depth measured by one instrument is less than 50 per cent of another for the eclipses of WASP-12b observed in the *I* band. For our value of $T_{\rm eff,2}$, the predicted eclipse depth in the J band is 0.0044, cf. a depth of 0.00737 reported by GMC+2014. This is a discrepancy of about 50 per cent, similar to the systematic error reported by Hooton et al. (2019). This suggests that systematic errors can produce the size of anomaly that we are finding. Going further, Hansen, Schwartz & Cowan (2014) conducted an analysis of eclipse depth uncertainties in regard to inferring atmospheric quantities and proposed an underestimation in error across all eclipse depth observations. Considering the need for precise measurements to properly constrain theoretical models, further observations by other ground-based and space-based instruments are needed to ensure accuracy.

5 SUMMARY

In this paper, we have presented our analysis of the *TESS* light curve of J0113+31 and derived orbital parameters by MCMC fitting. We do not confirm the hotter than expected temperature reported by GMC+2014 for the M-dwarf companion. Our analysis found an effective temperature of $T_{\rm eff,2} = 3208 \pm 43$ K, a value that agrees well with those predicted by theoretical stellar models. Our preferred explanation for the discrepancy is that GMC+2014 underestimated the systematic error in their ground-based measurement of the eclipse depth.

Additional observations of J0113+31 among other EBLMs are planned using the recently launched *CHEOPS* satellite. The analysis of the high-precision light curves observed by *CHEOPS* of these objects will contribute towards the better understanding of lowmass stars using more accurate radii and temperatures. With its observational bandpass based in the visual part of the spectrum, it would also be worthwhile to undertake further observation in the near-infrared to see if eclipse depths obtained in these different regimes still disagree, or if there are further possible causes for reported anomalous effective temperatures of low-mass stars.

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DATA AVAILABILITY

This paper includes data collected by the *TESS* mission, which is publicly available from the Mikulski Archive for Space Telescopes (MAST) at the Space Telescope Science Institure (STScI). Funding for the *TESS* mission is provided by the NASA Explorer Program directorate. STScI is operated by the Association of Universities for Research in Astronomy, Inc., under NASA contract NAS 5–26555. We acknowledge the use of public *TESS* Alert data from pipelines at the TESS Science Office and at the TESS Science Processing Operations Center.

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